Terms

- Node: A node is a data structure that represents a node in the search tree. The search tree is not the same thing as the (tree or graph) of the search space. A node has
 - o a state
 - o a parent (pointer/reference to the node in the tree that generated this one)
 - an action (the action that was applied to the parent's state to generate this node; often can be omitted from this data structure)
 - o path-cost: the total cost of the path from the initial state to this node (aka g(node) or g(n))
- **Frontier**: The data structure that holds nodes we have yet to expand, usually sorted by f(n) via priority queue, though can be a stack or plain queue as well.
- Reached: a map/dictionary that stores which states have been "reached" (have had nodes generated for them).

Best-first-search algorithm

BEST-FIRST-SEARCH(problem, f)

node \leftarrow a new node corresponding to the initial state

frontier \leftarrow a priority queue of nodes ordered by f(n), initialized to contain only node

reached \leftarrow a map from states to nodes with one entry mapping the initial state to the node above while not IS-EMPTY(frontier):

node \leftarrow pop(frontier) // remove lowest cost node from frontier (smallest f)

if IS-GOAL(node.state), then return node

for each child in EXPAND(node):

 $s \leftarrow child.state$

if s is not in reached or child.path-cost < reached[s].path-cost:

 $reached[s] \leftarrow child$

add child to frontier

return failure

EXPAND(node) // returns a list or set of nodes

make an empty list or set to hold the child nodes

 $s \leftarrow node.state$

for each action in ACTIONS(s):

 $s' \leftarrow RESULT(s, action)$

cost ← node.path-cost + ACTION-COST(s, action, s')

add new Node(state=s', parent=node, action=action, path-cost=cost) to list or set of child nodes return the list or set of child nodes

Breadth-first search

function BREADTH-FIRST-SEARCH(*problem*) returns a solution node or *failure* $node \leftarrow NODE(problem.INITIAL)$ if *problem*.IS-GOAL(*node*.STATE) then return *node* frontier \leftarrow a FIFO queue, with *node* as an element reached \leftarrow {*problem*.INITIAL} while not IS-EMPTY(*frontier*) do $node \leftarrow POP(frontier)$ for each child in EXPAND(*problem*, *node*) do $s \leftarrow child.STATE$ if *problem*.IS-GOAL(*s*) then return child if *s* is not in *reached* then add *s* to *reached* add child to frontier return failure